www.kspjournals.org

Volume 5

March 2018

Issue 1

What are the most important factors that influence the changes in London Real Estate Prices? How to quantify them?

By Yiyang GU[†]

Abstract. In recent years, real estate industry has captured government and public attention around the world. The factors influencing the prices of real estate are diversified and complex. However, due to the limitations and one-sidedness of their respective views, they did not provide enough theoretical basis for the fluctuation of house price and its influential factors. The purpose of this paper is to build a housing price model to make the scientific and objective analysis of London's real estate market trends from the year 1996 to 2016 and proposes some countermeasures to reasonably control house prices. Specifically, the paper analyzes eight factors which affect the house prices from two aspects: housing supply and demand and find out the factor which is of vital importance to the increase of housing price per square meter. The problem of a high level of multicollinearity between them is solved by using principal components analysis.

Keywords. Real estate market, Real estate price. **JEL.** L85, R30, R33.

1. Introduction

In recent years, the development of real estate industry has become an important driving engine of economic growth, but the real estate industry is also suffered criticism (Pyhrrey *et al.*, 2004). The factor that the price of house is unaffordable draws the government and public attention (Case & Shiller, 2003). The factors influencing the prices of real estate are diversified and complex.

Regarding the factors affecting real estate costs, scholars have conducted quite a few researches: Case & Shiller (1990) performed regression analysis and proved that housing price was correlated with population, income, and real estate market profits. Poterba (1991) chose income, building cost and the population as influencing factors, and concluded that the costs could be explained through them. Quigley (1999) emphasized that some economic changes such as population, employment, the economy index could predict the housing price trend. Those all proved that housing price can be modeled and predicted. However, due to the limitations and one-sidedness of their respective views, they did not provide enough theoretical basis for the fluctuation of house price and its influential factors. Moreover, they failed to provide a systematically suitable house price model.

Therefore, this work aims to build a housing price model to make the scientific and objective analysis of London's real estate market trends from the year 1996 to 2016 and proposes some countermeasures to reasonably control house prices. I analyze eight factors which affect the house prices from two aspects: housing supply and demand and find out the factor which is of vital importance to the increase of housing price per square meter. The problem of a high level of multicollinearity between them is solved by using principal components analysis.

Firstly, the available attributes assembled were introduced. The second section explains the multi-regression methodology and principal components analysis,

a.+

⊠. yiyang.gu@ucl.ac.uk

^{4†} Smart Cities and Urban Analytics, The Bartlett Centre for Advanced Spatial Analysis, UK.

followed by interpretation. The fourth section points out the limitations and conclusion are addressed in the final part.

2. Data

Many factors are effecting the real estate costs. Yihong (2016) introduced Real estate investment, Land price, loan interest rates and completed residential area as the variables to describe the supply model, Population, GDP and income as variable indicators to describe the model of demand. Considering the needs of research and data availability, from the above variables, I choose real estate investment, interest rate as my supply factors; population, GVA, and income as demand factors. The variables with sources that apply to the analysis are shown in Table 1.

Table 1. Sciected variables			
Variable	Notation	Unit	Source
Changes in House Price (1996-2016)	IY	\pounds per m ²	ONS and Land Registry
Real estate development investment	REI	£	Greater London Authority (GLA)
permanent dwellings started	PDS	in 1,000s	National House-Building Council (NHBC)
permanent dwellings completed	PDC	in 1,000s	National House-Building Council (NHBC)
Interest Rate	IR	%	Office for National Statistics (ONS)
Gross value added	GVA	£ per capita	Office for National Statistics (ONS)
Consumer price inflation	CPI	%	Office for National Statistics (ONS)
Population per square kilometer	PD	per km ²	Greater London Authority (GLA)
Gross disposable household income	GDHI	£ per capita	Office for National Statistics (ONS)

 Table 1. Selected variables

The reasons why those factors are chosen are following. As for the residence development investment (REI), the more funds the government invests, the larger the building-scale is (Murialdo, 2013). Besides, people usually purchase real estate through mortgage loans. Therefore, interest rate (IR) is bound to be the factor affecting price fluctuations. For the demand factors, the population density (PD) is strongly correlated with the demands of housing purchasing. Gross value added (GVA) is an objective indicator reflecting citizen's payment capacity. Generally speaking, the larger the variable is, the stronger the residents' purchasing ability which it is bound to the housing price. Similarly, the average disposable income (GDHI) determines the purchasing ability which is positively correlated with housing price (Mishkin, 2007).

Started and completed permanent dwellings (PDS) (PDC) and Consumer price inflation (CPI) are also chosen because of their importance in the housing market. Constructed area and completed dwellings numbers can best reflect the real estate supply. Usually in the case of constant elasticity of demand stability, as the supply area increases, the house price will decrease. Besides, CPI is introduced because it is normally considered as an indicator of Inflation or deflation which can lead to rising costs of workers or construction materials, indirectly affecting housing costs (Mishkin & SchmidtHebbel, 2001).

What's more, since the data of influencing factors of selected house prices are time-series data, there is a strong correlation between the data of the current year and the data of the previous year. Therefore, they should be pre-processed before making further analysis. In this paper, the increase of house price is predicted by the increase of each factor.

3. Methodology

3.1. Building initial regression formula

The relationship between variables should be checked in the beginning. The scatter plot is used and given below (Fig.1).

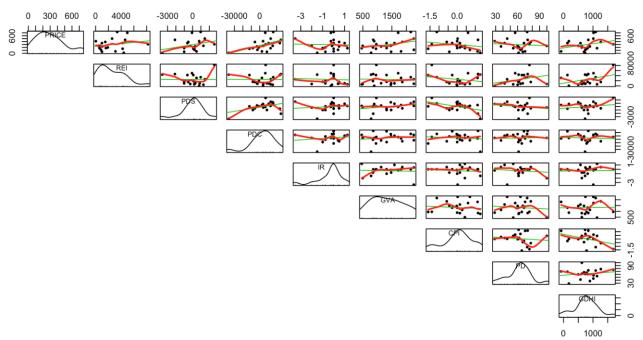


Figure 1. Scatterplot matrix of dependent and independent variables

As shown in figure2, each factor is inclined to a certain extent shape (linear), which indicates response variable and predictors have a linear relationship so that a linear regression model can be conducted. (Rabe Hesketh, 2008). Besides, there are no significant outliers.

The initial regression formula is:

$$\begin{split} IY &= \beta_0 + \beta_1 REI + \beta_2 PDS + \beta_3 PDC + \beta_4 IR + \beta_5 GVA + \beta_6 CPI \\ &+ \beta_7 PD + \beta_8 GDHI + \varepsilon \end{split}$$

Among them, β_0 is the initial value of price changes; β_1 to β_8 are the regression coefficients and ϵ means the residual.

3.2. Correlation Analysis to Avoid Multi-collinearity Problem

The correlation matrix below (Fig.3) represents the correlations between variables.

	IY	REI	PDS	PDC	IR	GVA	CPI	PD	GDHI
IY	1.00								
REI	0.94	1.00							
PDS	-0.43	-0.56	1.00						
PDC	-0.18	-0.26	0.76	1.00					
IR	-0.88	-0.84	0.64	0.55	1.00				
GVA	0.99	0.93	-0.50	-0.28	-0.91	1.00			
CPI	0.25	0.08	-0.34	-0.50	-0.46	0.33	1.00		
PD	0.98	0.95	-0.57	-0.30	-0.91	0.99	0.30	1.00	
GDHI	0.99	0.94	-0.53	-0.30	-0.92	0.99	0.30	1.00	1.00

Table 2. Correlation matrix between dependent variables and independent variables

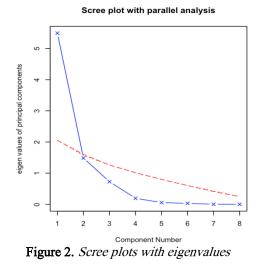
In Table 2, values in the first-row show that house price is strongly correlated with other independent variables, which provides the foundation for having a good linear relationship.

However, the high correlation values among predictor variables show a high level of multicollinearity and therefore it is unsuitable to direct input variables into the linear regression analysis. This problem can be overcome by entering the variables into Principal components analysis (PCA), as each PCA factor is uncorrelated (Dunteman, 1992). The details are introduced in the following parts.

3.3. Principal Components Analysis (PCA)

PCA is one of the most common dimension reduction technique. A great number of correlated variables are transformed into a limited set of uncorrelated variables which are called principal components (Dunteman, 1989).

3.3.1. Selecting the number of components to extract



Based on Kaiser–Harris criterion, components which eigenvalues greater than one should be retained (1964), so the Scree plot below indicates that there should be two principal components.

3.3.2. Extracting and rotating principal components

After knowing the number of components, varimax rotations are needed to make the matrix with components more interpretable so that the number of variables can be reduced. The rotations results are provided in the following table (Kabacoff, 2010).

	RC1	RC2	h2	u2			
REI	-0.1	-0.97	0.95	0.0544			
PDS	-0.43	0.73	0.72	0.2785			
PDC	-0.13	0.92	0.86	0.139			
IR	-0.84	0.47	0.93	0.0673			
GVA	0.97	-0.19	0.98	0.0226		RC1	RC2
CPI	0.11	-0.74	0.56	0.4364	SS loadings	4.68	2.3
PD	0.97	-0.22	0.99	0.0091	Proportion Var	0.59	0.29
GDHI	0.97	-0.21	0.99	0.0149	Cumulative Var	0.59	0.87

Table 3. Components after rotating

The correlations between variables and principal components can be observed in the column labeled RC1, RC2. The u2 column means the uniquenesses of components. For example, 97 percent of the variance in Gross value added (GVA) can be explained by the RC1. The further analysis can be conducted after obtaining the components scores.

Finally, the Proportion Var indicates that PCA1 account for the largest proportion of the variance (59%), while PCA2 makes up 29%. However, they are still different from principal components since the maximizing properties of the variance has not been preserved (Kabacoff, 2010).

3.3.3. Obtaining principal components scores

After extracting principal components and rotating principal components, we can obtain principal components scores using the formulas.

The principal components are:

$$\begin{split} PCA_1 &= 0.23PD + 0.23GVA + 0.23GDHI + 0.23PDC + 0.14IR - 0.12CPI \\ &- 0.02PDS + 0.13REI \\ PCA_2 &= 0.50PDC - 0.41CPI + 0.34PDS + 0.25REI + 0.10IR + 0.08GVA \\ &+ 0.07PD + 0.08GDHI \end{split}$$

The first component is strongly correlated with population density(PD), GVA and GDHI and appears to be a *demand* factor. Coefficients of them are all 0.23, which means they are equally vital to house price. Moreover, these variables vary together, so the increase of a variable will lead to the increase of other variables. Besides, due to the reason that the first principal component contributes the most to the model (Moore, 1981), it can be concluded that demands are now dominating and those three factors with highest weights are the most important factors to be taken into account.

The second component appears to be the *supply* factor, with high coefficients in started and completed permanent dwellings and real estate investment. The coefficient of started permanent dwellings is the highest (0.5), which means the number of newly constructed houses needs to be controlled. The weights of Interest rates(IR) are low, so it is not as important as other factors. CPI is negatively related to the principal component, which indicates that deflation may cause the more investment in the housing market.

The final linear regression model is as follows:

$$IY = \gamma_0 + \gamma_1 PCA_1 + \gamma_2 PCA_2 + \varepsilon$$

IY represents the annual increment of house prices; PCA_1 and PCA_2 are the principal components; emeans the residual.

Then, the housing price model can be established

$$Y = Y_0 + IY$$

Here, Y_0 represents the last year's housing price, Y represents the forecast of this year's house price.

4. Interpretation

The statistical results indicate that the original model is capable of explaining almost 100% of the variability in house price. However, the p-values indicate that the variables are not significant, so these variables are not a useful predictor within this model.

 Table 4. Statistical results of original multi-regression model

	Coefficients	Standard Error	t Stat	P-value		
Intercept	-10340.99411	5927.041785	-1.744714	0.104613		
REI	0.017094598	0.012140529	1.4080604	0.182576		
PDS	0.082354678	0.044281904	1.8597818	0.08569		
PDC	0.004040739	0.003073729	1.314605	0.211364	Regression Sta	tistics
IR	-58.83223929	48.27708872	-1.218637	0.244635	Multiple R	0.997022
GVA	0.032579656	0.069879393	0.4662269	0.648769	R Square	0.994053
CPI	10.07691633	66.06041967	0.1525409	0.881102	Adjusted R Square	0.990394
PD	1.865489384	1.627507066	1.1462251	0.272363	Significance F	156.2394
GDHI	0.074869309	0.090842246	0.8241684	0.424707	Observations	22

 Table 5. Statistical results of adjusted multi-regression model

						Regression Statistics	
						Multiple R	0.98133527
		Coefficients	Standard Error	t Stat	P-value	R Square	0.96301892
Interce	pt	-1973.2416	522.8080875	-3.7743134	0.00128281	Adjusted R Square	0.95912617
PCA1		0.27922603	0.01255322	22.2433789	4.5721E-15	Significance F	322.286932
PCA2		0.06948691	0.006224727	-11.163046	8.6969E-10	Observations	22

The adjusted model can explain 96.3% of the variability in changes in real estate costs, which means a high degree of interpretation. Though the R-square decrease to a slight extent compared to the original one, its variables now all have significant p-values.

The housing price model can be re-written as:

$$Y = Y_0 + 0.279PCA_1 + 0.069PCA_2 - 1973.242$$

The coefficients indicate that those two components are positively correlated with real estate costs. To be more specific, for the explanation of the slope (coefficient) of model: if all else remain unchanged, for 100 units of PCA1 allocated, 27 housing price increment is explained. While on the slope of PCA2: all else held constant, for every 100 units allocated, 6.9 housing price increase is explained.

5. Limitation and discussion

The first limitation is that regarding dependent variable interpretation, PCA normally cannot be the theoretical explanation. They are the linear combination of influencing factors (DeCoster, 1998). So those principal components (PCA1, PCA2) are not effective enough to explain the housing price.

The other limitation of our model is that because we did not make predictions on influencing factors, this model can only calculate house price when knowing all independent variables. For further improvement, a predicting model of independent variables would be required and applying gray system theory may be a suitable solution (Kayacan *et al.*, 2010).

6. Conclusion

This report analyzes the changes in London housing price from 1996 to 2016 and considers eight factors in terms of real estate industry supply and market demand. Through quantitative analysis of their potential relationship, a regression model of housing prices is built.

Population density, income, and GVA are the most significant factors that affect house price fluctuations in London which indicates that population and income are important point cuts to constrain housing increase. If the population and resident income are increased, housing demand will increase, causing the contradiction between supply and demand and, therefore, stimulating housing prices (Case, 2003).

Based on the above conclusions, the governments should develop the economy and reasonably guide the property demand. In the long term, the rational concept of housing consumption can restrain the real estate market bubble, so that the prices will return to rational level.

References

Andersson, T. (1958). Multivariate Statistical Ananalysis. John Wiley and Sons, Inc., New York.

- Bin, O. (2004). A prediction comparison of housing sales prices by parametric versus semi-parametric regressions. *Journal of Housing Economics*, 13(1), 68-84. doi. 10.1016/j.jhe.2004.01.001
- Brown, J.P., Song, H.,& McGillivray, A. (1997). Forecasting UK house prices: A time varying coefficient approach. *Economic Modelling*, 14(4), 529-548. doi: 10.1016/S0264-9993(97)00006-0
- Case, K.E., & Shiller, R.J. (2003). Is there a bubble in the housing market?. Brookings Papers on Economic Activity, 2003(2), 299-342.
- Case, K.E., Quigley, J.M.,& Shiller, R.J. (2003). *Home-buyers, Housing and the Macroeconomy*. Berkeley Program on Housing and Urban Policy.

Clapp, J.M., & Giaccotto, C. (1994). The influence of economic variables on local house price dynamics. *Journal of Urban Economics*, 36(2), 161-183. doi. 10.1006/juec.1994.1031

DeCoster, J. (1998). Overview of factor analysis. [Retrieved from].

Dunteman, G.H. (1989). Principal Components Analysis, No.69. Sage.

Gov.uk. (2017). *Live tables on house building: new build dwellings - GOV.UK*. Accessed 9 Jan. 2018.[Retrieved from].

Gress, B. (2004). Using Semi-Parametric Spatial Autocorrelation Models to Improve Hedonic Housing Price Prediction. Mimeo, Department of Economics, Riverside.

Harris, C.W., Kaiser, H.F. (1964). Oblique factor analytic solutions by orthogonal transformations. *Psychometrika*, 29(4), 347-362. doi: 10.1007/BF02289601

Hedeker, D. (2008). Multilevel models for ordinal and nominal variables. In *Handbook of multilevel analysis* (pp. 237-274). Springer, New York, NY.

Kabacoff, R.I. (2010). R in Action. Manning.

Kayacan, E., Ulutas, B., & Kaynak, O., 2010. Grey system theory-based models in time series prediction. *Expert Systems with Applications*, 37(2), 1784-1789. doi: 10.1016/j.eswa.2009.07.064

London Datastore, (2018). London Datastore: GLA key performance indicators. Available at: Accessed: 9 Jan. 2018. [Retrieved from].

London Datastore, (2016). *London Datastore: land area and population density ward and borough.* Available at: Accessed: 9 Jan. 2018. [Retrieved from].

London Datastore, (2016). London Datastore: UK house price index. Available at: Accessed: 2 Jan. 2018. [Retrieved from].

Martins-Filho, C.,& Bin, O. (2005). Estimation of hedonic price functions via additive nonparametric regression. *Empirical and Economics*, 30, 99-114.

Mishkin, F.S., & Schmidt-Hebbel, K. (2001). One decade of inflation targeting in the world: what do we know and what do we need to know? *NBER Working Paper*, No.w8397. doi. 10.3386/w8397

- Mishkin, F.S. (2007). Housing and the monetary transmission mechanism, *NBER Working Paper*, No. w13518. doi. 10.3386/w13518
- Moore, B. (1981). Principal component analysis in linear systems: Controllability, observability, and model reduction. *IEEE Transactions on Automatic Control*, 26(1), 17-32. doi. 10.1109/TAC.1981.1102568

Murialdo, F. (2013). Practice of Consumption and Spaces for Goods. Francesca Murialdo.

- Ons.gov.uk. (2017). Consumer Price Inflation time series dataset Office for National Statistics. Accessed 2 Jan. 2018.[Retrieved from].
- Ons.gov.uk. (2017). *Gross Value Added (GVA)* Office for National Statistics. Accessed 1 Jan. 2018.[Retrieved from].

Poterba, J.M., Weil, D.N., Shiller, R. (1991). House price dynamics: the role of tax policy and demography. *Brookings Papers on Economic Activity*, 1991(2), 143-203.

- Pyhrr, S., Roulac, S.,& Born, W. (2004). Real estate cycles and their strategic implications for investors and portfolio managers in the global economy. *Journal of Real Estate Research*, 18(1), 7-68. doi. 10.5555/rees.9.4.t21866r7h4406x20
- Quigley, J.M. (2006). Economic fundamentals in local housing markets: evidence from US metropolitan regions. *Journal of Regional Science*, 46(3), 425-453. doi. 10.1111/j.1467-9787.2006.00480.x

Reed, R., & Reed, R. (2016). The relationship between house prices and demographic variables. International Journal of Housing Markets and Analysis, 9(4), 520-537. doi. 10.1108/IJHMA-02-2016-0013

Shiller, R.J. (1990). Speculative prices and popular models. *Journal of Economic Perspectives*, 4(2), 55-65. doi. 10.1257/jep.4.2.55

The Pennsylvania State University, (2018). Lesson 11: Principal Components Analysis (PCA). Accessed 26 Dec. 2017. [Retrieved from].

Yihong, X.(2016). A Study on the Influence Factors of Real Estate Prices Based on Econometric Model: A Case of Wuhan. DEStech *Transactions on Social Science, Education and Human Science*, [Retrieved from].



Copyrights

Copyright for this article is retained by the author(s), with first publication rights granted to the journal. This is an open-access article distributed under the terms and conditions of the Creative Commons Attribution license (http://creativecommons.org/licenses/by-nc/4.0).



JEB, 5(1), Y. Gu, p.18-24.